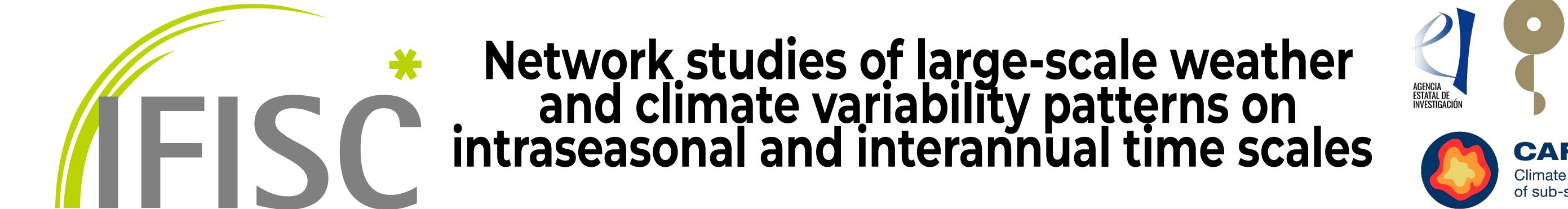
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of sub-seasonal Extremes

UNIT OF

MARÍA

EXCELLENCE

Noémie Ehstand^{1,*}, Reik Donner^{2,3}, Cristóbal López¹, Emilio Hernández-García¹

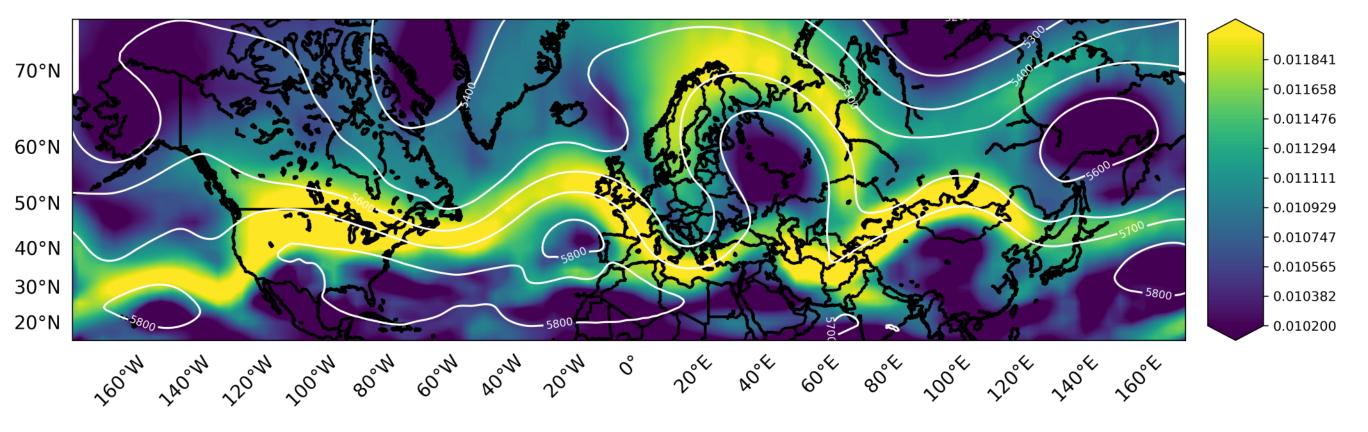
1. IFISC, Institute for Cross-Disciplinary Physics and Complex Systems (UIB-CSIC), Palma de Mallorca, Spain, 2. Department of Water, Environment, Construction and Safety, Magdeburg-Stendal University of Applied Sciences, Germany 3. Research Department IV – Complexity Science and Research Department I – Earth System Analysis, Potsdam Institute for Climate Impact Research (PIK), Germany

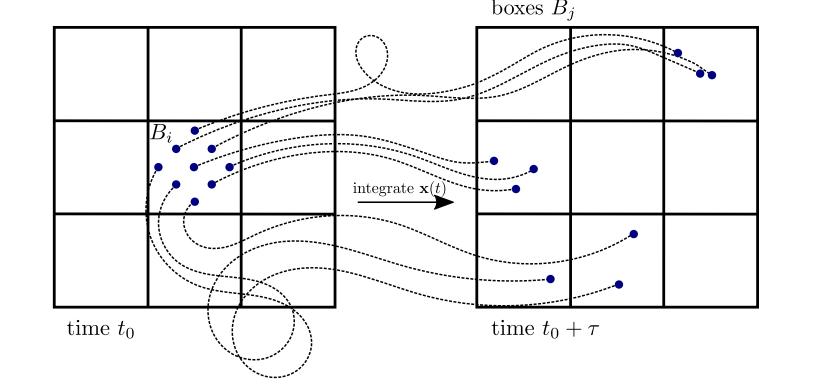
* n.ehstand@ifisc.uib-csic.es

Detection and tracking of atmospheric blocks: a structural network approach 1.

We utilize a *Lagrangian flow network* representation of the atmospheric circulation to study blocking situations during Northern hemisphere summer.

spatial locations Network *nodes* ---> Network *links* → *material transport*





Closeness field (colour) during a blocking event - blocking anticyclone centered at 43°E. Tracers were released at 300 hPa. The geopotential height contours at 500 hPa are shown as reference. The fields are averaged over the 4-days period : 25-29/07/2010.

The network describes the atmospheric connectivity in terms of mass flow.

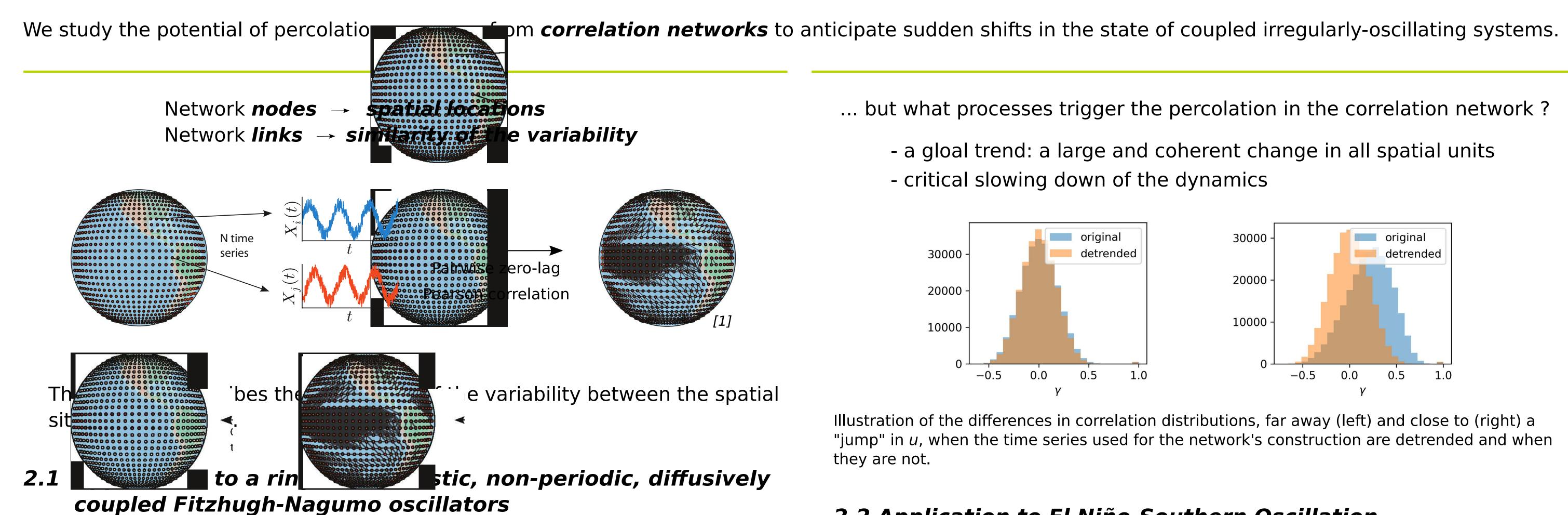
The network's (weighted) harmonic out-closeness centrality is defined as

 $C_i(t_0,\tau) = \left(\frac{1}{N-1}\right) \sum_{i \neq i} \frac{1}{d_{ij}}$

where d_{ij} is inversely proportional to the mass transported between *i* and *j*

Highlights: The network's closeness centrality (but also the degree and entropy - not shown) trace important spatio-temporal characteristics of atmospheric blocking events, including the isolated character of the pressure cell forming the blocking high and the deviation of the main atmospheric currents around it. Chaos 31, 093128 (2021).

2. Anticipating sudden shifts in irregular (climate) oscillations: a functional network approach

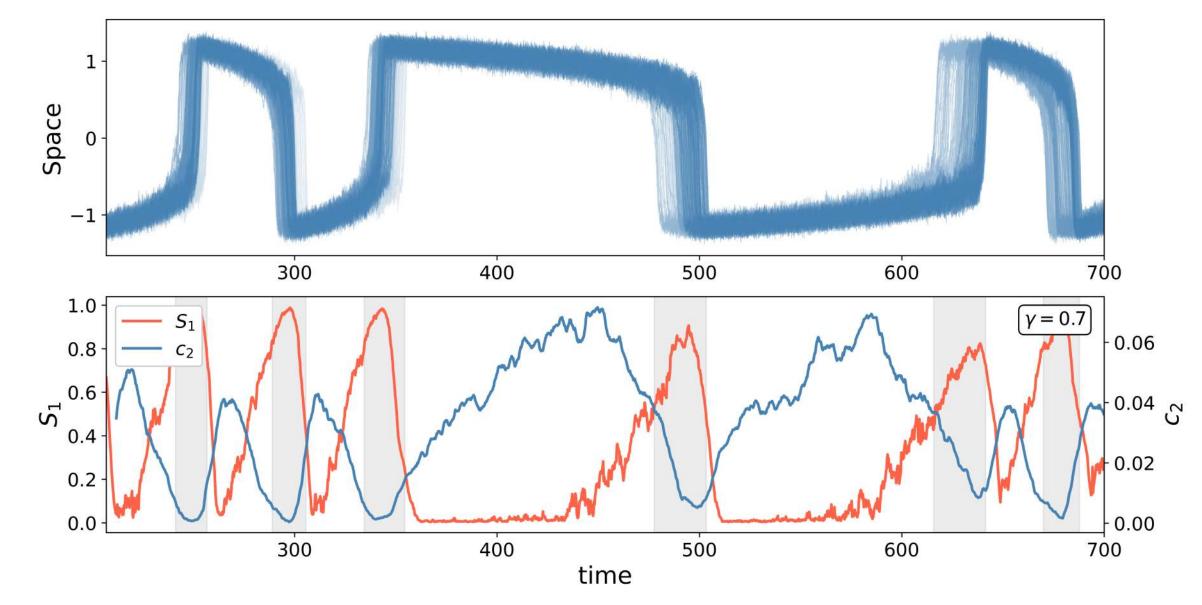


$$\epsilon \dot{u_k} = f(u_k) - v_k + I + (\Delta u)_k + \sqrt{2D^{(u)}} \eta_k^{(u)},$$

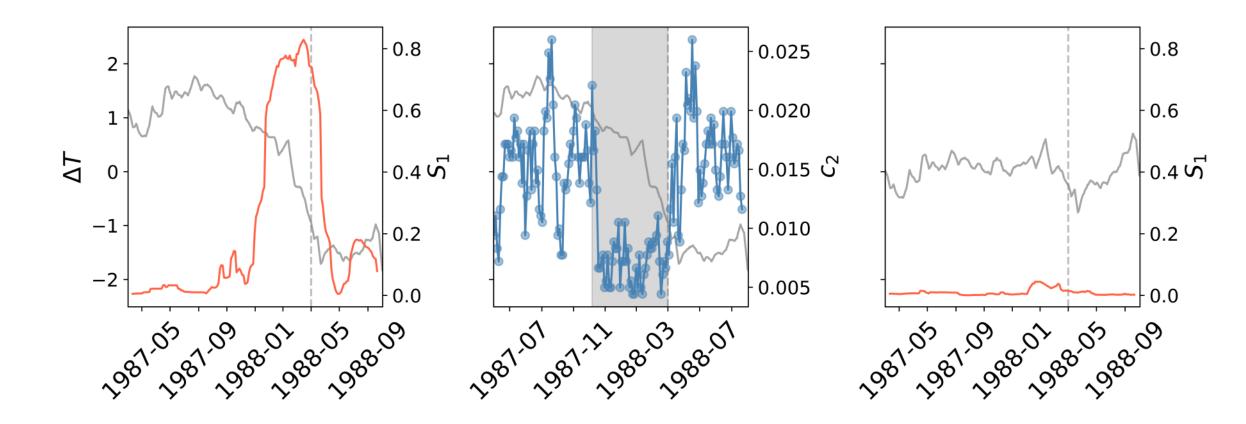
$$\dot{v_k} = u_k - bv_k + c + (\Delta v)_k + \sqrt{2D^{(v)}} \eta_k^{(v)},$$

$$(\Delta u)_k = u_{k+1} + u_{k-1} - 2u_k,$$

$$(\Delta v)_k = v_{k+1} + v_{k-1} - 2v_k,$$



2.2 Application to El Niño-Southern Oscillation



Top: Time series of the fast variable of the system, *u*, (each line corresponds to a different node). *Bottom:* Relative size S_1 of the largest connected component in the network constructed from the the variable u. Probability c_2 that a randomly chosen node belongs to a component of size 2.

Both S_1 and c_2 anticipate the abrupt "jumps" in u...

Gray: average Sea Surface Temperature anomaly over the Niño3.4 region (detrended in the third panel). Dashed lines: La Niña event. Left and center: relative size of the largest connected component (S_1) and probability that a randomly chosen node belongs to a component of size 2 (c_2) in the correlation network of non-detrended SSTs. Reproducing results from [2]. Right: S_1 in the network computed from detrended SSTs.

Highlights: We find that the percolation properties of correlation networks successfully anticipate the rapid shifts in the state of the oscillating Fitzhugh-Nagumo system. Characterizing the processes causing percolation transitions in this system leads to a better understanding and interpretation of the outcomes of percolation methods when applied to El Niño-Southern Oscillation. Manuscript in preparation.

[1]R. V. Donner, M. Wiedermann, and J. F. Donges, Nonlinear and Stochastic Climate Dynamics 159 (2016). [2] V. Rodríguez-Méndez, V. M. Eguíluz, E. Hernández-García, and J. J. Ramasco, Sci Rep 6, (2016).



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